

TIMBER MEASUREMENTS SOCIETY
CENTRAL MEETING 2016

Options of 3D-scanning measurements for logs: differences and relevance

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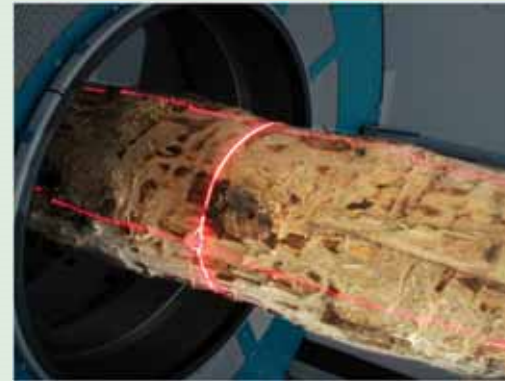
Forest Research Institute of Baden-Wuerttemberg (FVA)

- Located in Freiburg (Black Forest)
- Research institute of the forest administration
- Regional, national and international research and consulting tasks and projects



FVA - Department of Forest Utilisation

Harvesting,
logistics



Roundwood
measurement,
grading

Applied
wood
science



Bioenergy from
forests
short rotation
agroforestry



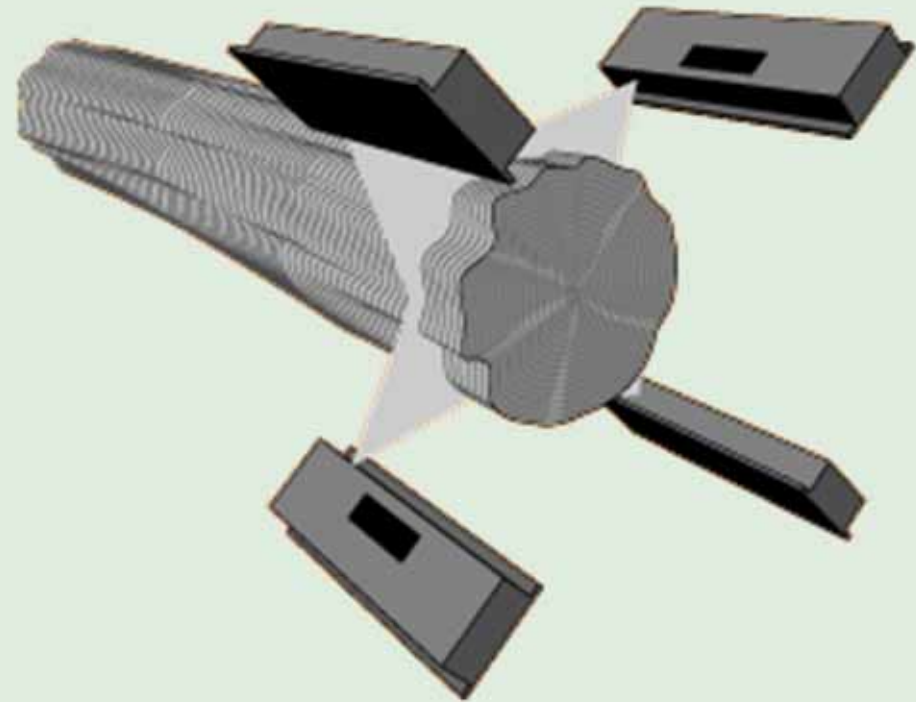
MICROTEC (c) 2010

- 2D Measurement Systems
 - infrared or / and ultrasound
 - normally 2 perpendicular diameters
 - fixed measuring directions (geometry of the system)



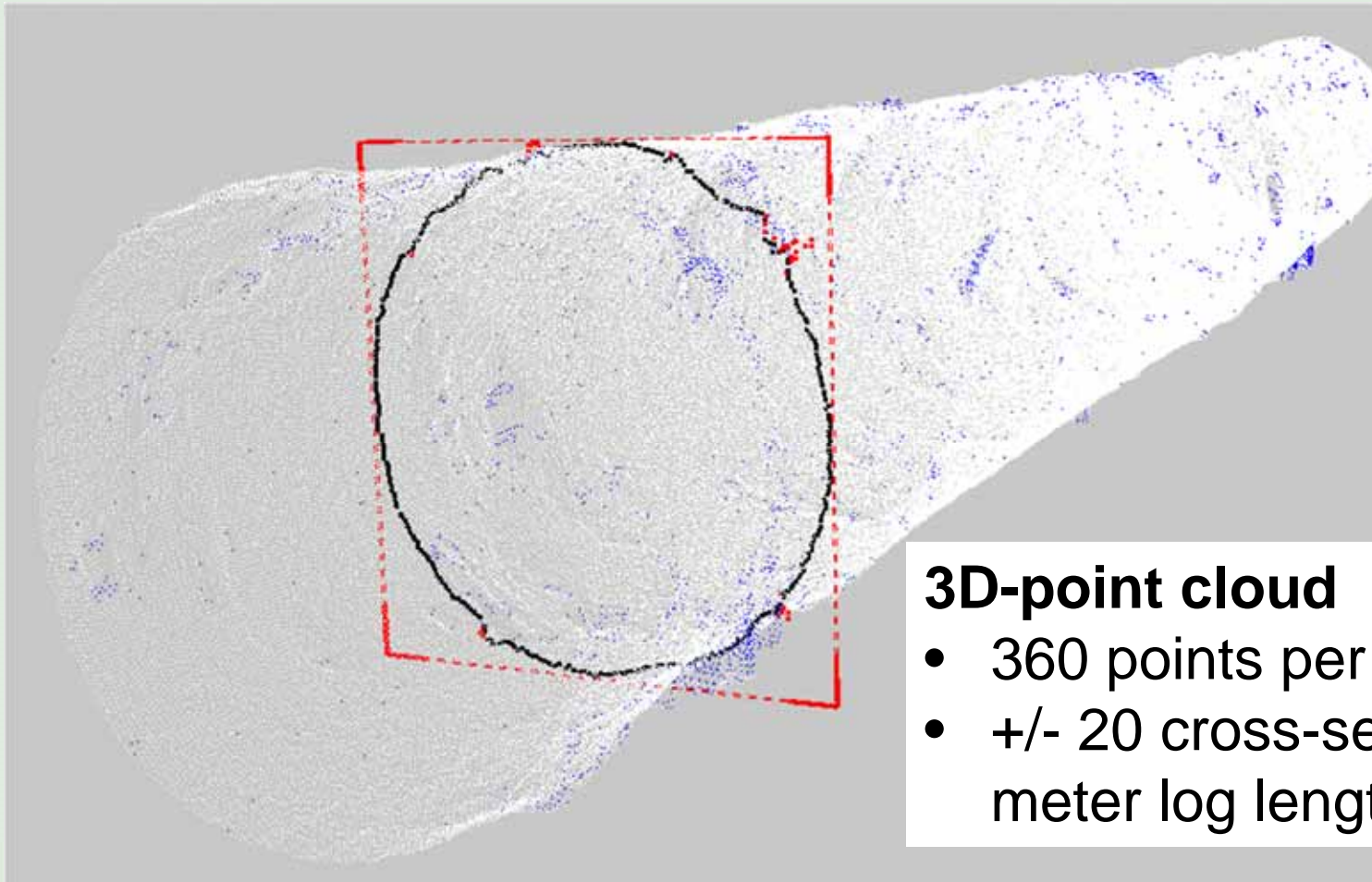
- 3D Measurement Systems (Laser-Triangulation)

- Normally 4 laser sources / sensor devices
- Full contour scan



- Only softwood:
 - Spruce
 - Pine
 - Fir
 - Douglas fir
 - Larch
- Short logs (< 6 m)
- Long logs (6 – 20 m)





3D-point cloud

- 360 points per cross-section
- +/- 20 cross-sections per meter log length

Preprocessing of data

- Smoothing the measured data of all cross sections:

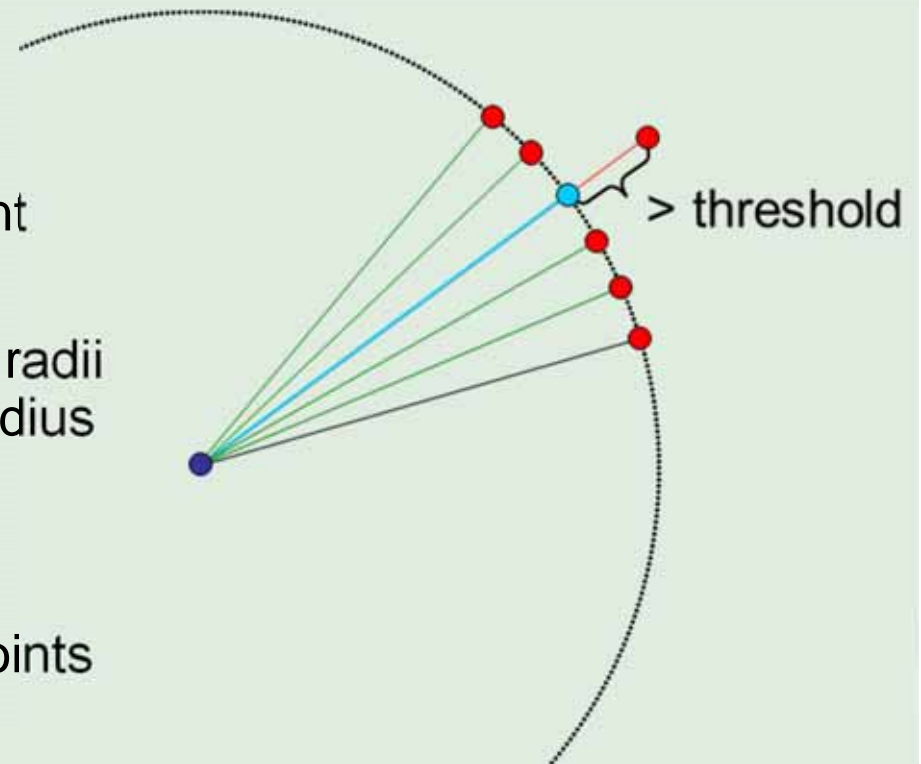
Detection of errors and outliers

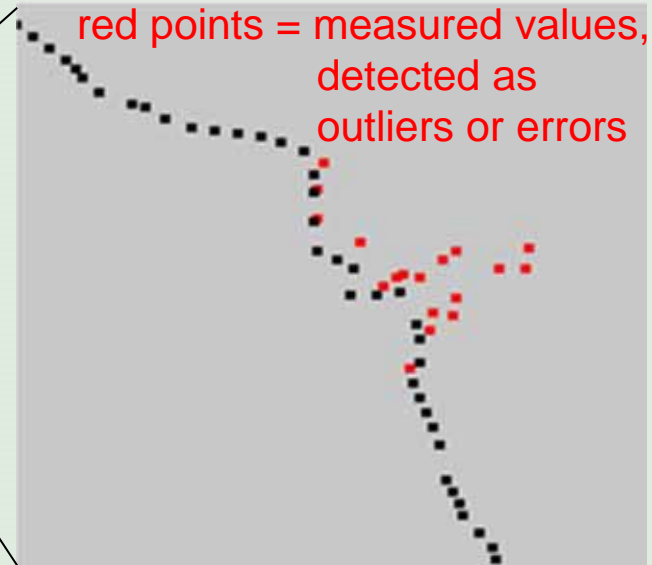
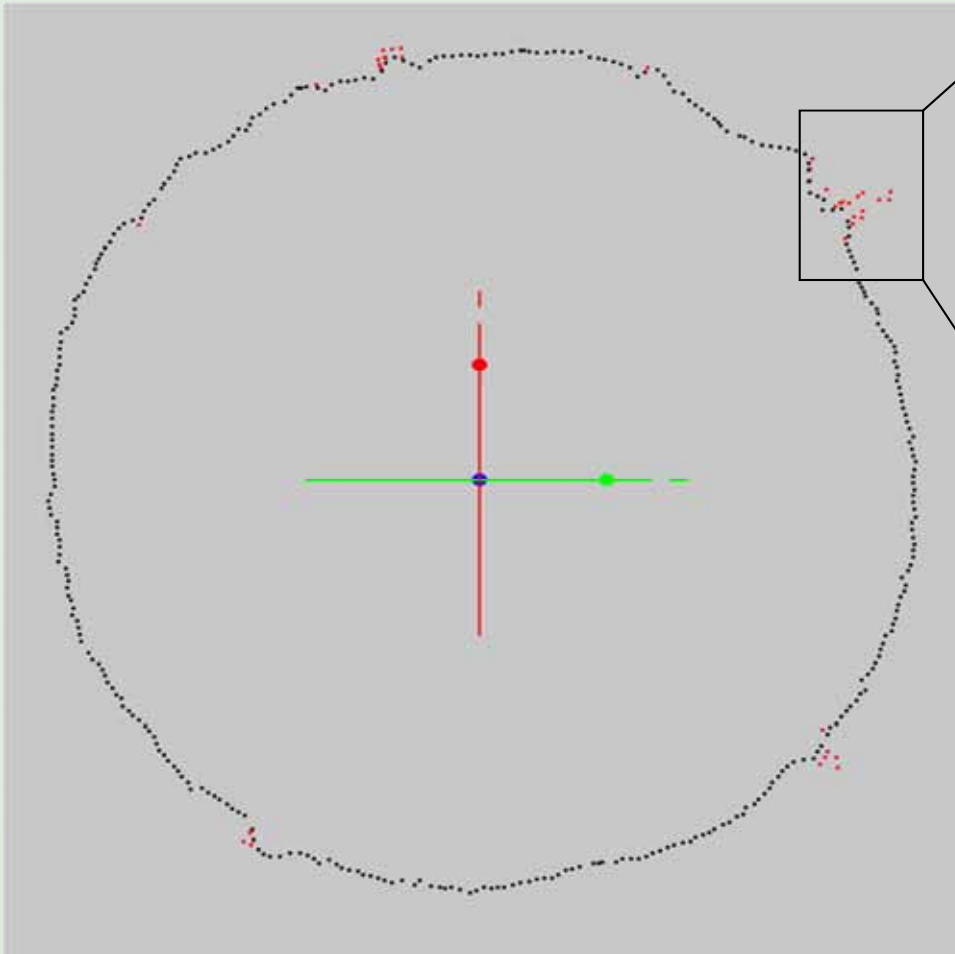
→ looking at the radii of two adjacent points

→ if the difference between the two radii is bigger than X% of the mean radius

→ computing of new values

→ iterative method
(repeated computation until all points are inside the limits)



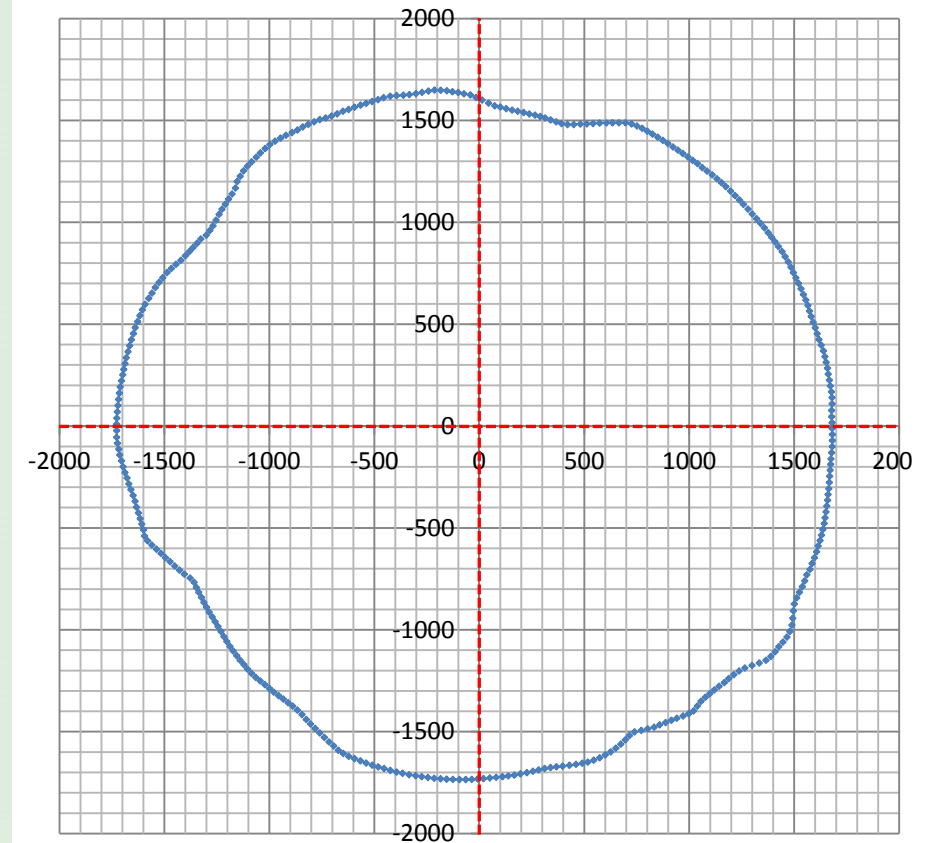


Example:
slice no. 85,
mean radius: 132,4 mm
threshold: 2 % \rightarrow 2,648 mm

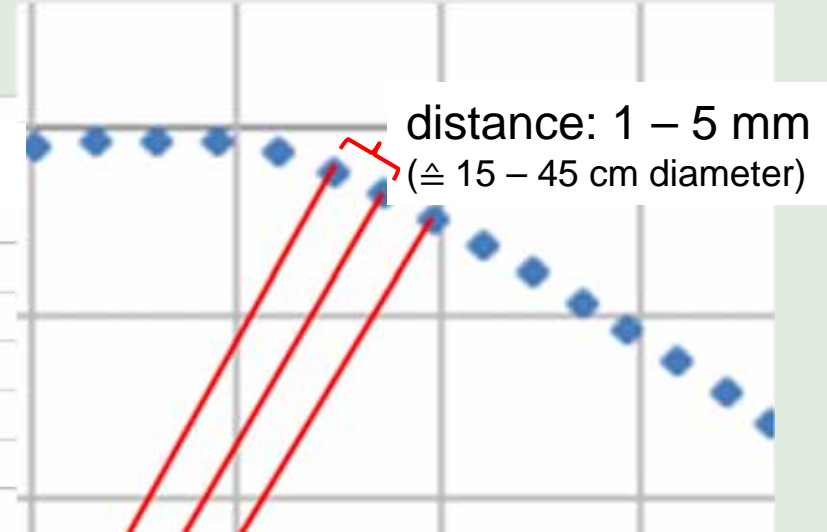
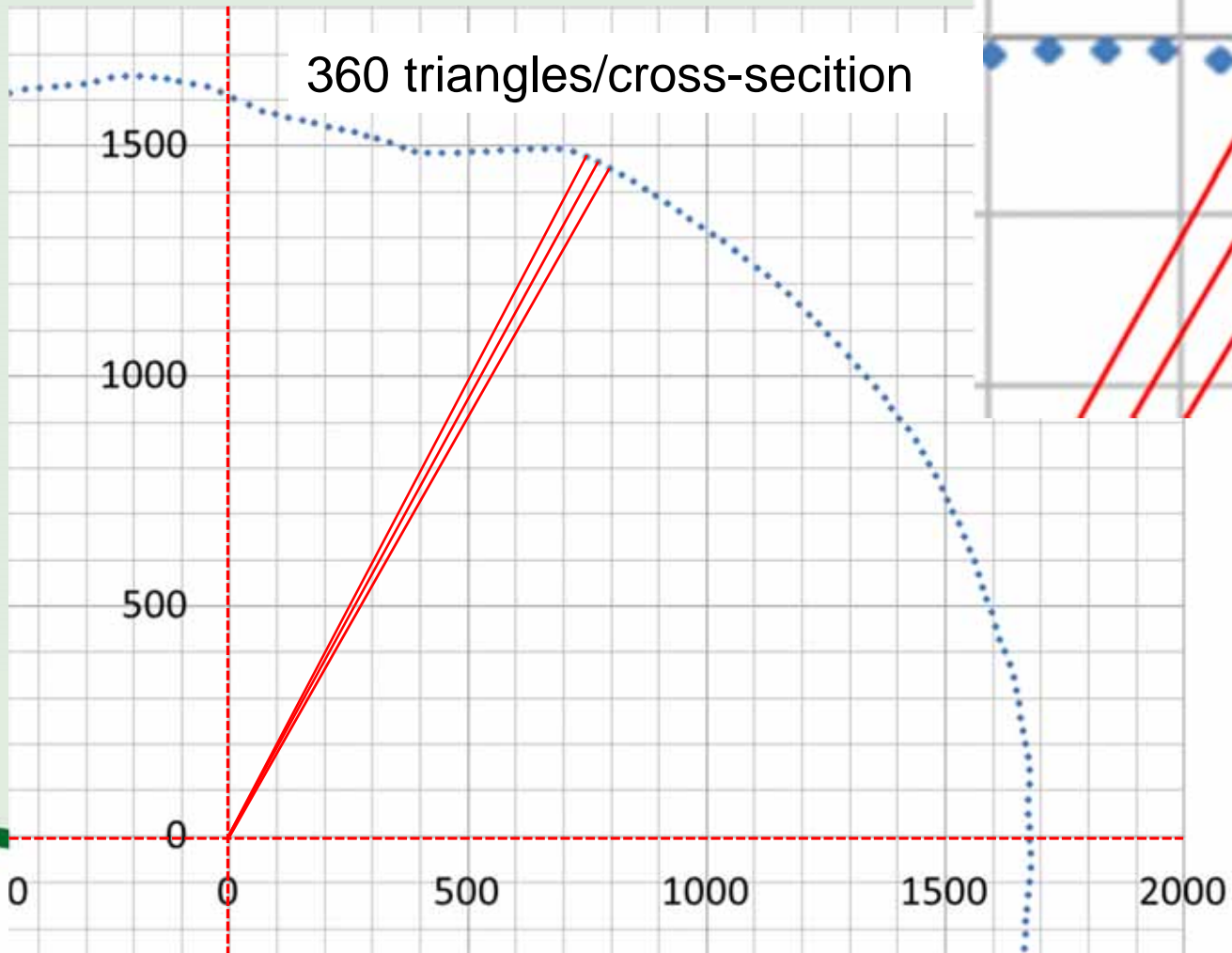
Calculating cross-section areas

- polygon based on 360 contour points
- calculating the real area (Gauss quadrature, based on triangles)

$$A = \frac{1}{2} \sum_{i=1}^{360} (y_i + y_{i+1}) \times (x_i - x_{i+1})$$

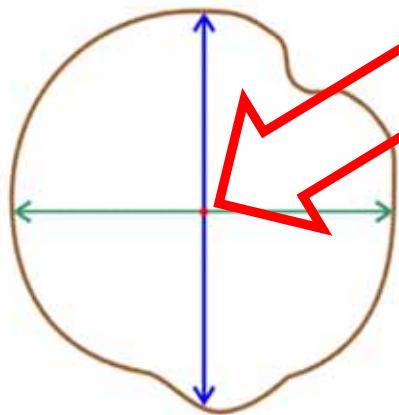


Calculating cross-section areas

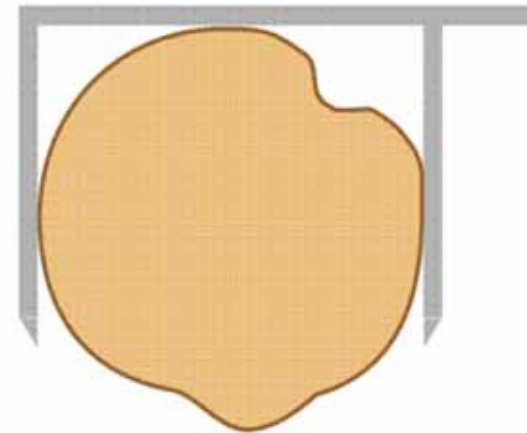


Diameter: different approaches

Definition of the
centre point?



determining the
real **contour**



Simulating a
mechanical **caliper**

Definition of the centre point

Premise: All diameters intersect in one common point

→ different approaches to define this intersection / centre point

arithmetic centre point

Mean value of all measured points (m):

$$m_x = \frac{1}{360} \sum_{i=1}^{360} x_i$$

$$m_y = \frac{1}{360} \sum_{i=1}^{360} y_i$$

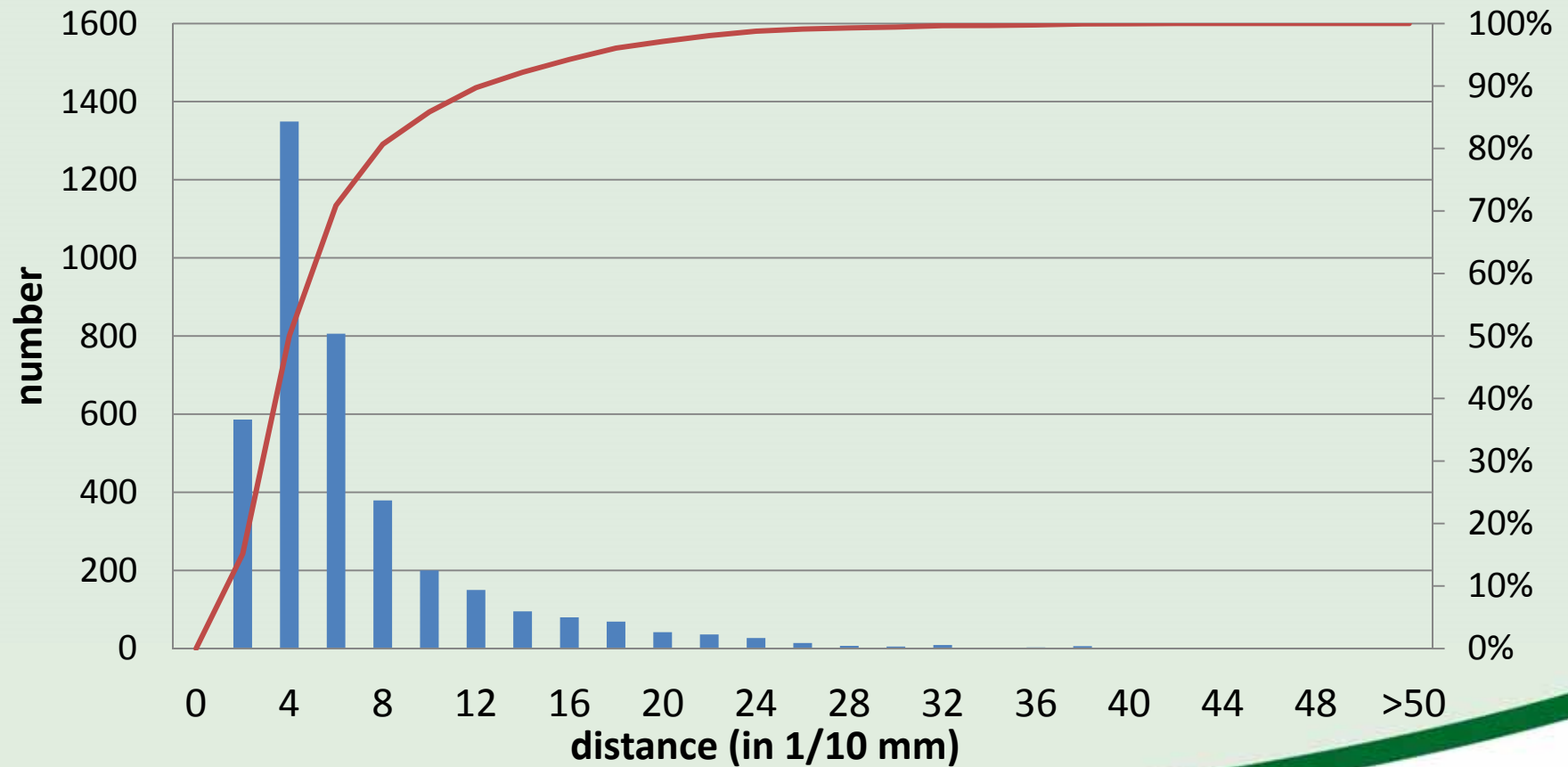
Definition of the centre point

Premise: All diameters intersect in one common point

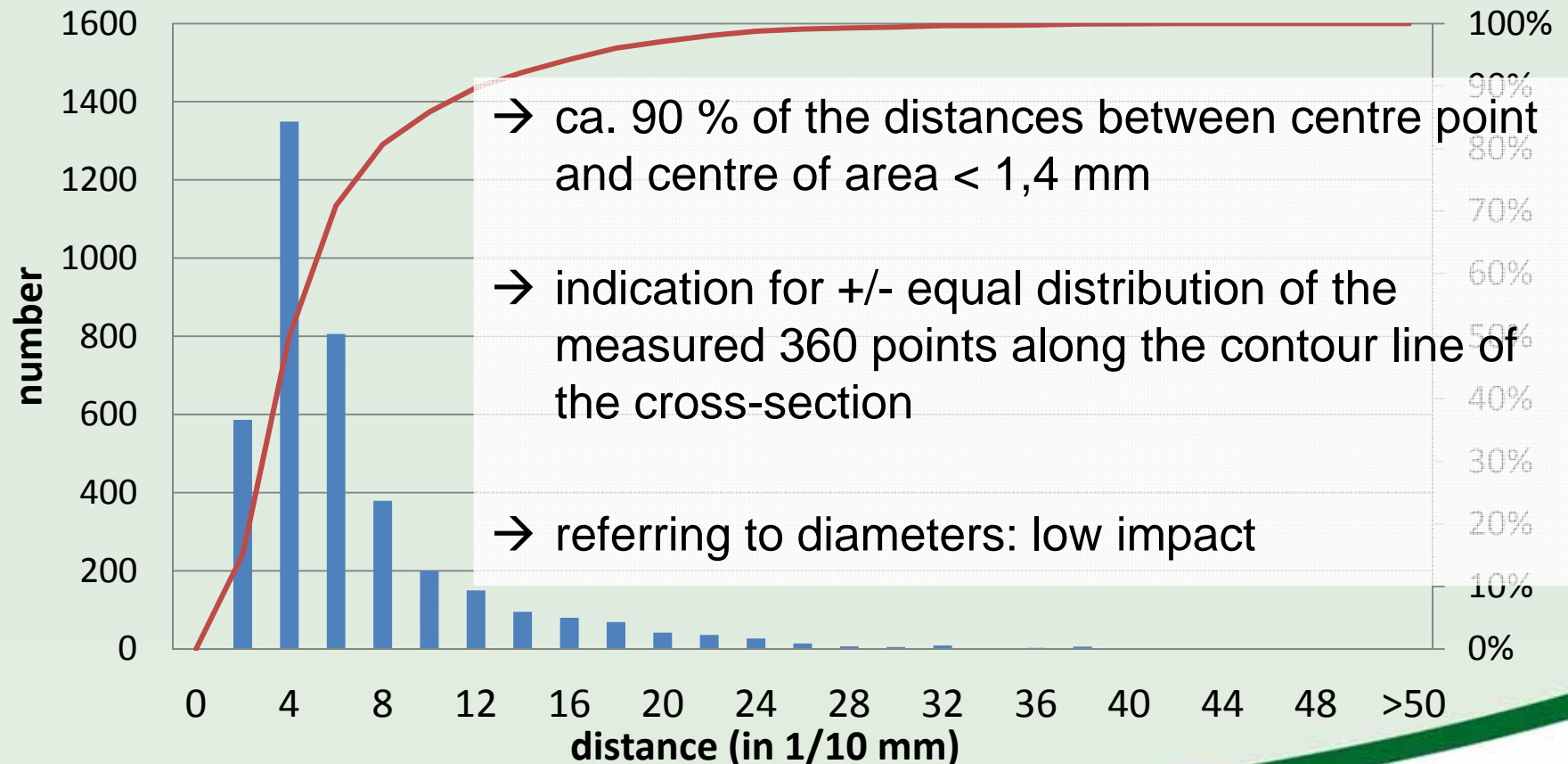
→ different approaches to define this intersection / centre point

<i>arithmetic centre point</i>	<i>centre of area</i>
<p>Mean value of all measurend points (m):</p> $m_x = \frac{1}{360} \sum_{i=1}^{360} x_i$ $m_y = \frac{1}{360} \sum_{i=1}^{360} y_i$	<p>Calculating the centre of area(c):</p> $c_x = \frac{1}{6A} \sum_{i=0}^{N-1} (x_i + x_{i+1}) * (x_i y_{i+1} - x_{i+1} y_i)$ $c_y = \frac{1}{6A} \sum_{i=0}^{N-1} (y_i + y_{i+1}) * (x_i y_{i+1} - x_{i+1} y_i)$

Euclidean distance between
arithmetic centre point and centre of area
(n=3867)



Euclidean distance between arithmetic centre point and centre of area (n=3867)



Calculating diameters and circular areas

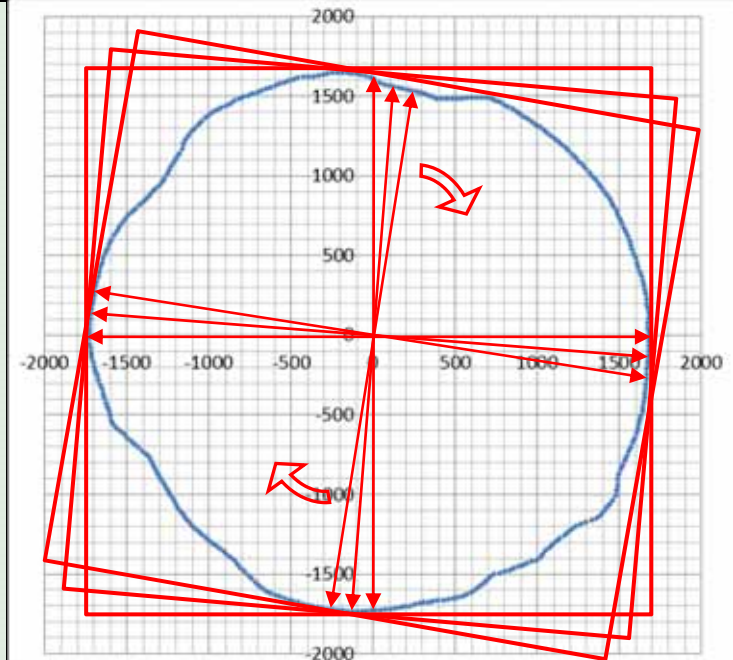
180 diameters

(caliper /
contour)

- 180 diameters,
- angular distance ca. 1°
- calculating the mean value of 180 diameters
- calculating the circular area

$$d = \frac{1}{n} \sum_{i=1}^{180} d_i$$

$$A = \frac{\pi}{4} d^2$$



coordinates of the arithmetic centre point:

x = 9,8

y = -30,8

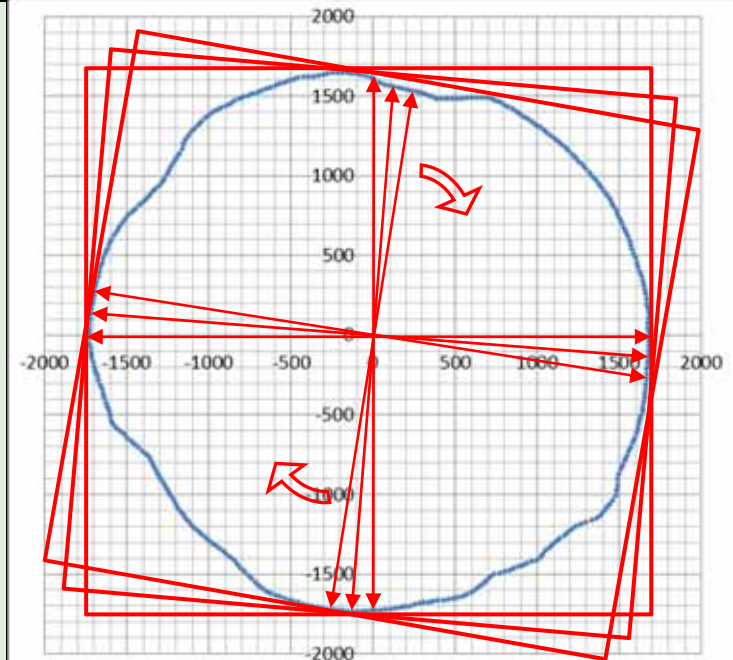
Calculating diameters and circular areas

90
diameters
(caliper /
contour)

- 90 diameters,
- angular distance ca. 2°
- calculating the mean value of 90 diameters
- calculating the circular area

$$d = \frac{1}{n} \sum_{i=1}^{90} d_i$$

$$A = \frac{\pi}{4} d^2$$



coordinates of the arithmetic centre point:

x = 9,8

y = -30,8

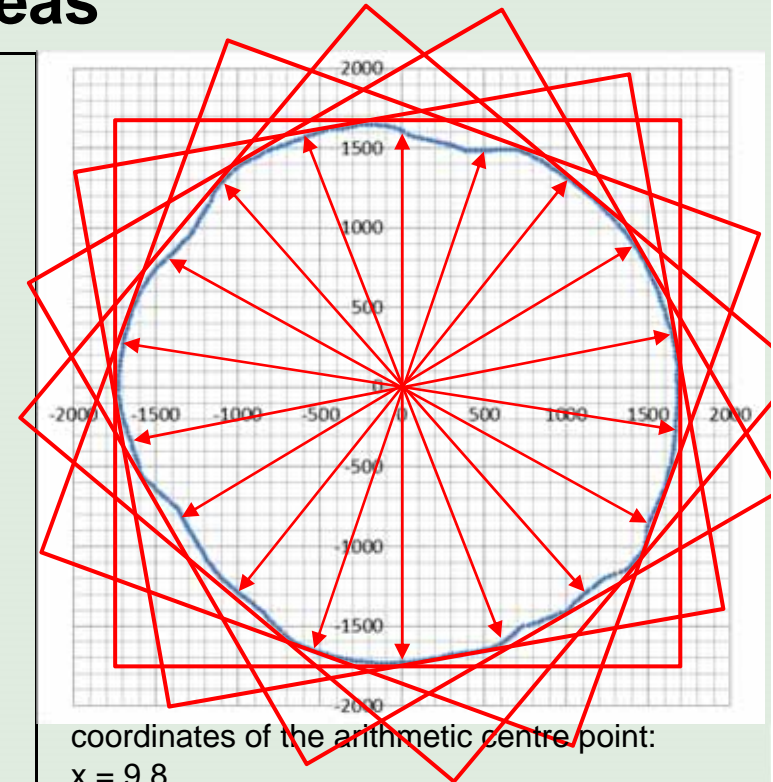
Calculating diameters and circular areas

18 diameters
(caliper / contour)

- 18 diameters,
- angular distance ca. 10°
- calculating the mean value of 18 diameters
- calculating the circular area

$$d = \frac{1}{n} \sum_{i=1}^{18} d_i$$

$$A = \frac{\pi}{4} d^2$$



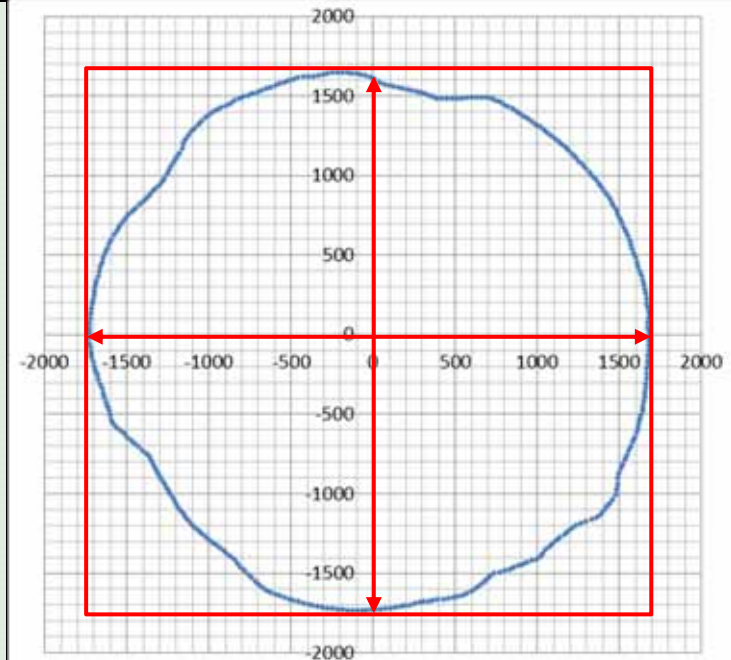
Calculating diameters and circular areas

2
perpen-
dicular
diameters
(caliper /
contour)

- two perpendicular diameters in fixed measuring planes (0° and 90°),
- calculating the mean value of two diameters,
- calculating the circular area

$$d = \frac{d_0 + d_{90}}{2}$$

$$A = \frac{\pi}{4} d^2$$



coordinates of the arithmetic centre point:
 $x = 9,8$
 $y = -30,8$

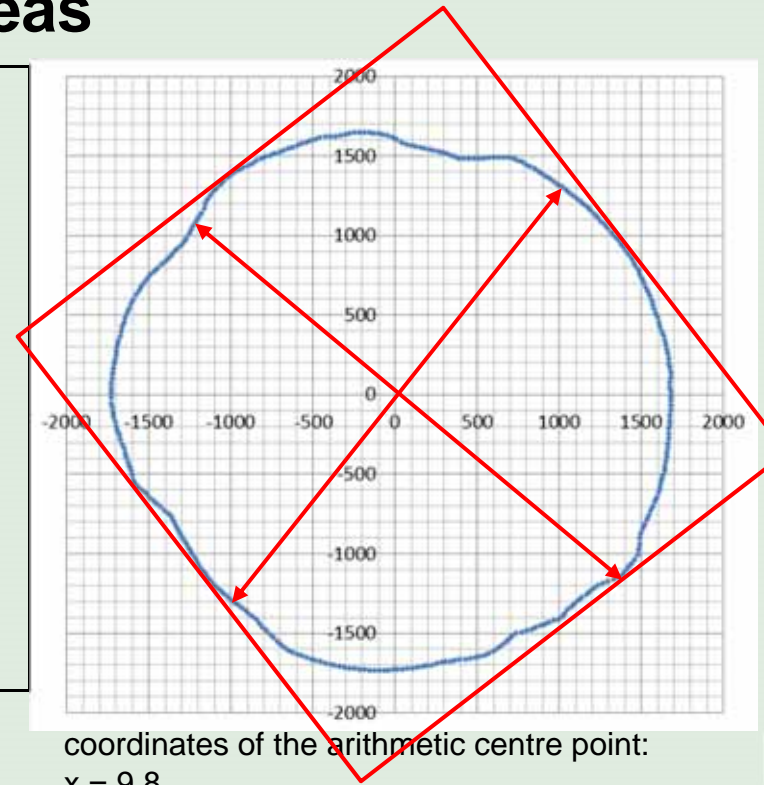
Calculating diameters and circular areas

minimum diameter plus 90°
(caliper / contour)

- minimum diameter (out of 180 diameters),
- plus perpendicular diameter
- calculating the circular area

$$d = \frac{d_{min} + d_{min90}}{2}$$

$$A = \frac{\pi}{4} d^2$$



coordinates of the arithmetic centre point:
x = 9,8
y = -30,8

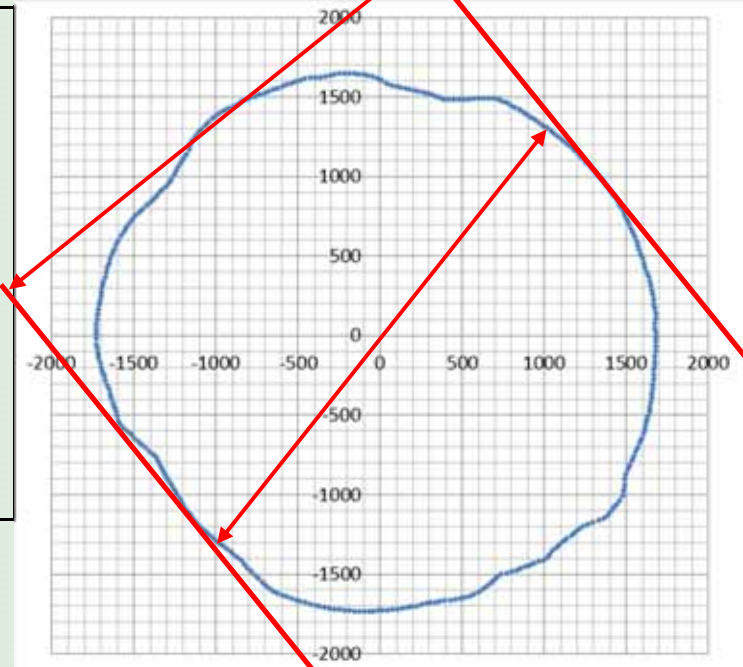
Calculating diameters and circular areas

minimum diameter
(caliper /
contour)

- minimum diameter (out of 180 diameters),
- calculating the circular area

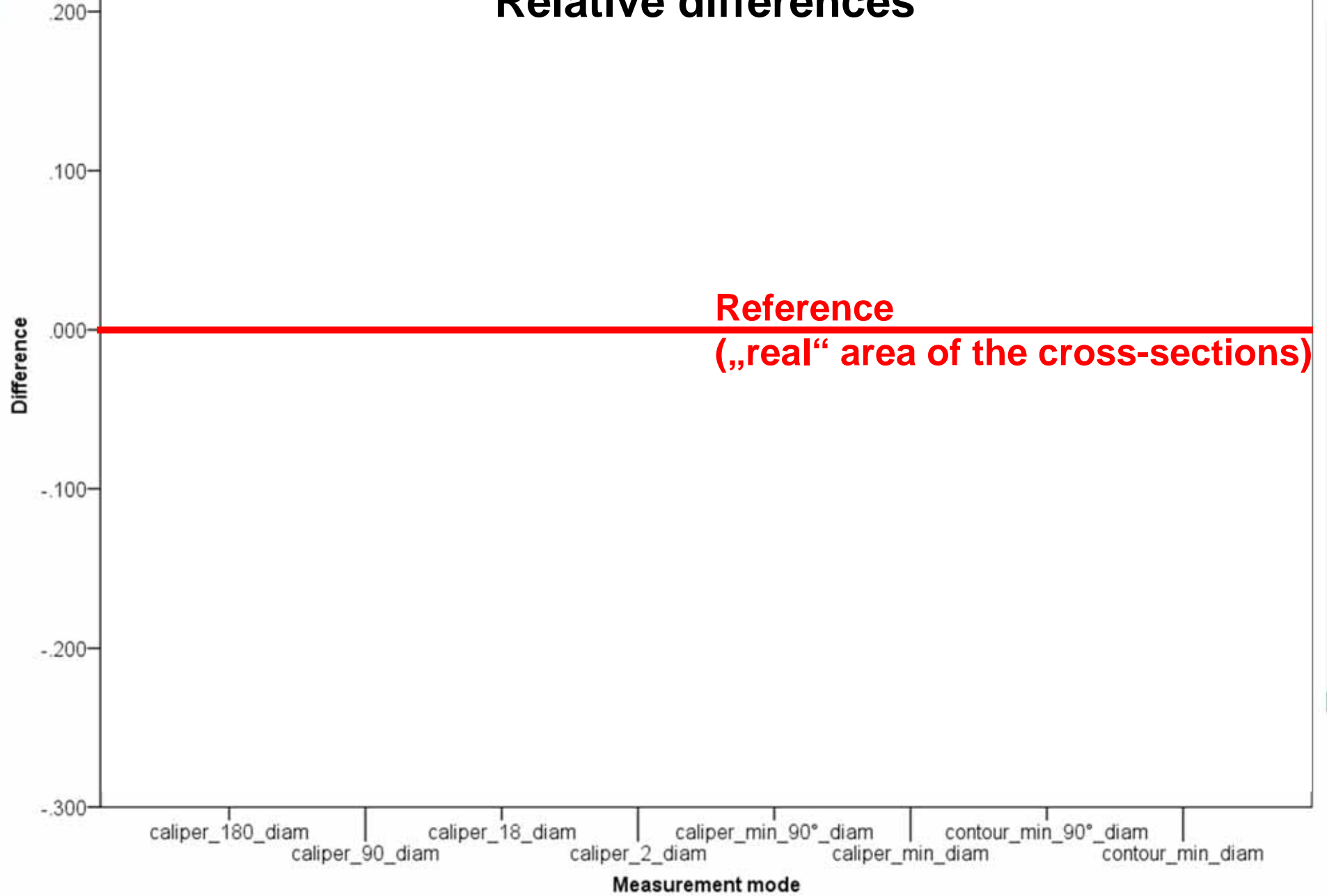
$$d = d_{min}$$

$$A = \frac{\pi}{4} d^2$$

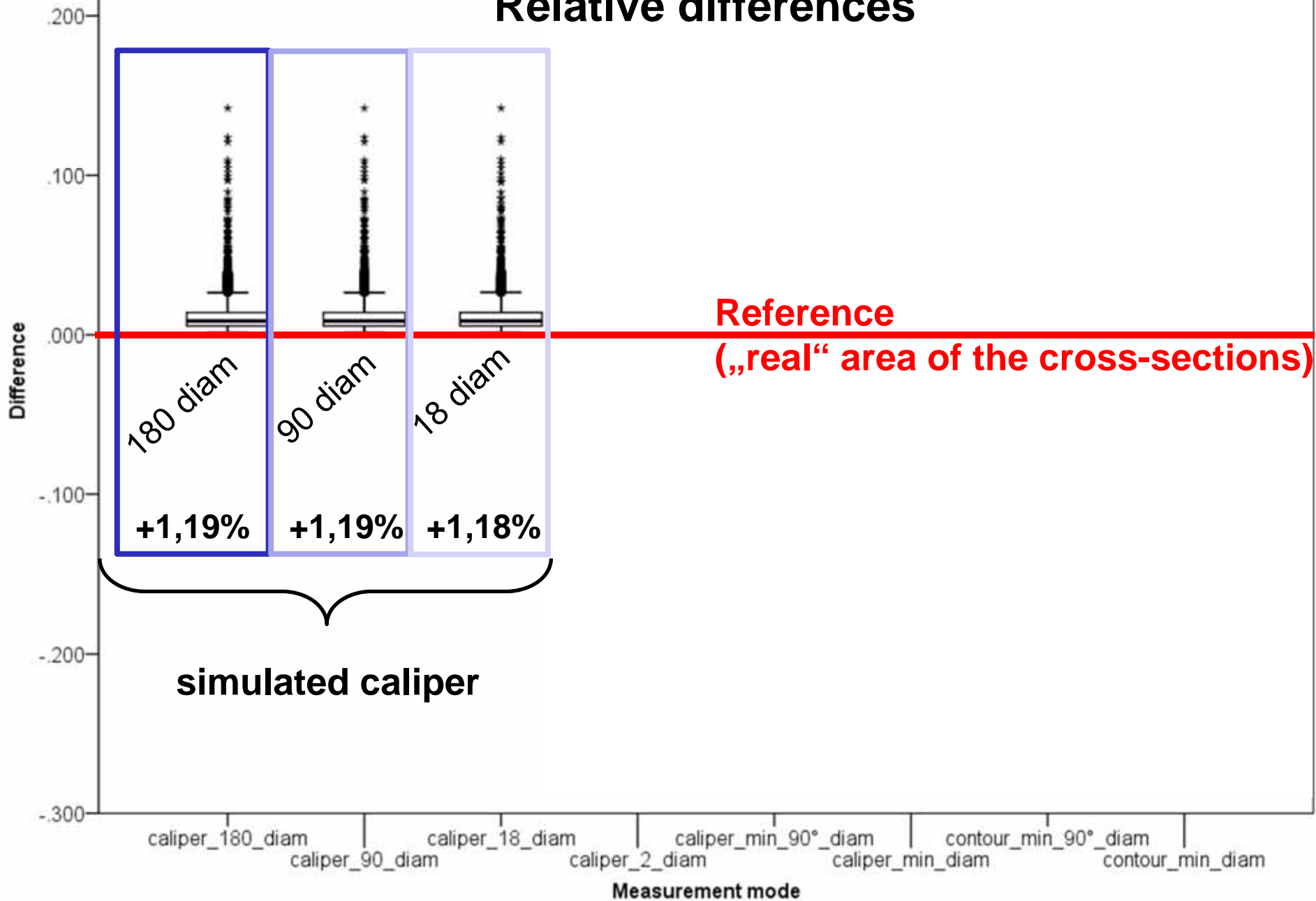


coordinates of the arithmetic centre point:
x = 9,8
y = -30,8

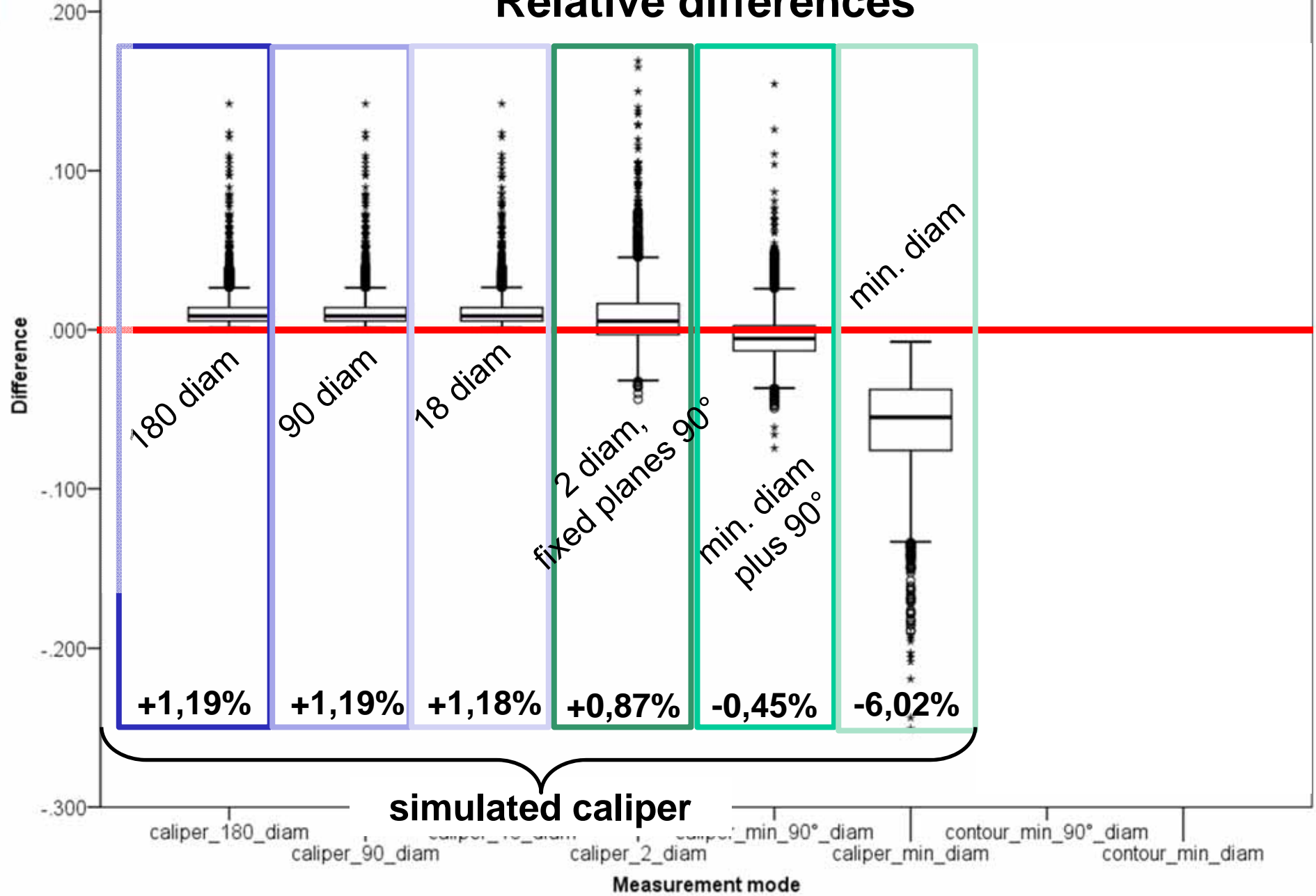
Cross-section areas by measurement mode: Relative differences



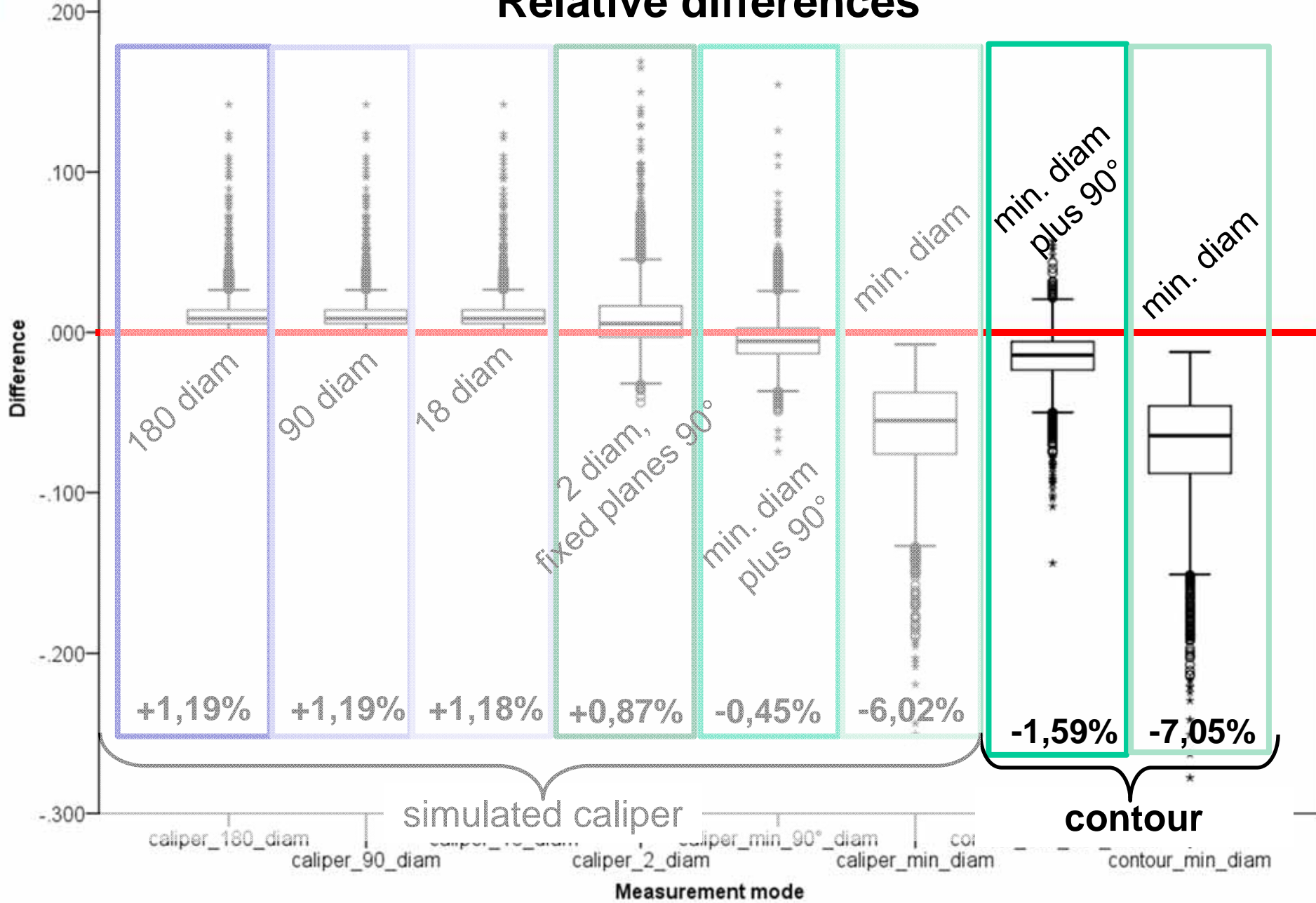
Cross-section areas by measurement mode: Relative differences



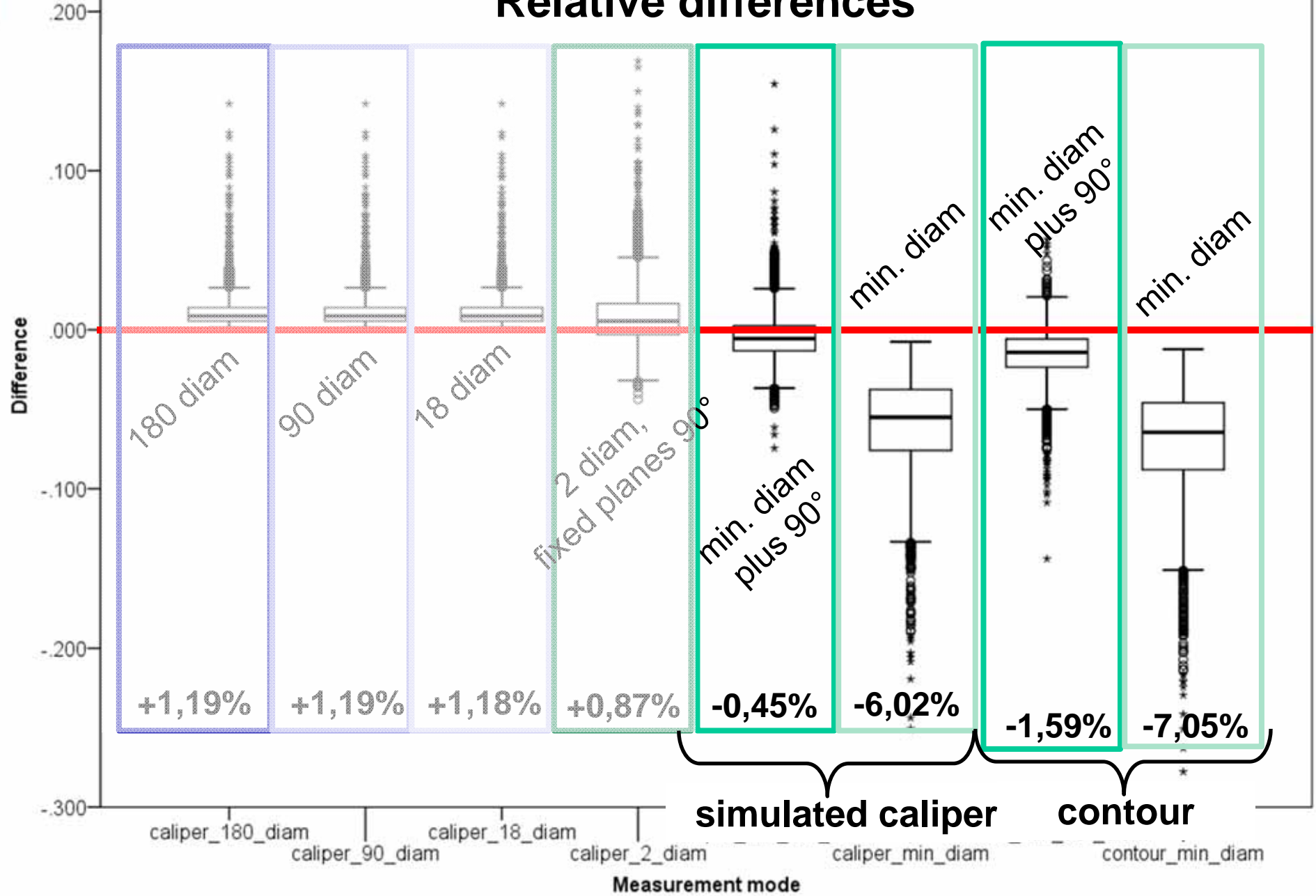
Cross-section areas by measurement mode: Relative differences



Cross-section areas by measurement mode: Relative differences



Cross-section areas by measurement mode: Relative differences



Summary

- 3D-scanning technology generates comprehensive data
- log volumes can be calculated on the basis of a cylinder model?
- log (cylinder) length is easy to determine
- there are various approaches for calculating: diameters, circular and irregular cross-section areas
- precise, reliable and transparent determination of the cross-section area can be realized by using many diameters and the principle of a caliper

Thank you!

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